

# Maths – Year 10 Foundation

Maths Half Terms 1-6

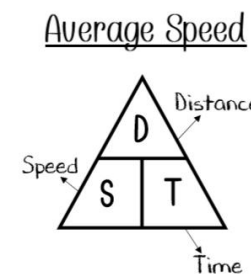
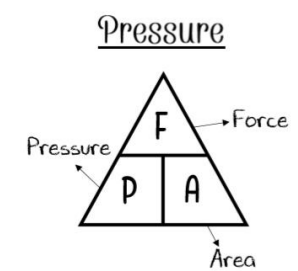
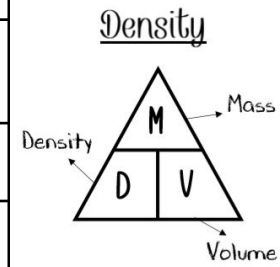


<b>Rearrange Formulae</b>	<b>Formula</b>	A special type of <b>equation</b> that shows the relationship between <b>variables</b>	$A = bh$ is the <b>formula</b> for the area of a rectangle
	<b>Formulae</b>	Plural of <b>formula</b>	(area = base x height)
	<b>Subject</b>	The <b>variable</b> that is being worked out. It is the letter on its own on one side of the equals sign	A is the <b>subject of the formula</b> .
	<b>Inverse Operation</b>	The opposite <b>operation</b>	Multiply is the <b>inverse operation</b> to divide
	<b>Expression</b>	Contains <b>numbers, operations</b> and one or more <b>variables</b>	$4x + 3y$
	<b>Factorise</b>	Rewrite an <b>expression</b> into <b>brackets</b>	$6x + 3 = 3(2x + 1)$
	<b>Rearrange</b>	Move <b>terms</b> around using <b>inverse operations</b>	$t + u = v \rightarrow t = v - u$
	<b>Change the subject of a formula</b>	Isolate a <b>term</b> using <b>inverse operations, rearranging the formula</b>	Make y the subject of the formula: $t = 3y + 4x$

<b>Linear Graphs</b>	<b>Axes</b>	The <b>horizontal</b> and <b>vertical</b> lines on a graph (singular <b>axis</b> )	The <b>x axis</b> is <b>horizontal</b> , the <b>y axis</b> is <b>vertical</b> .
	<b>Coordinates</b>	A pair of numbers which show a point on a <b>graph</b>	The <b>x coordinate</b> tells us how far along you go, the <b>y coordinate</b> tells us how far up or down you go
	<b>Equation</b>	The rule for finding <b>coordinates</b> for your <b>graph</b>	$y = 3x - 4$
	<b>Plot linear graphs</b>	Plot all points and join with a straight line	Remember to label <b>x and y axes</b>
	<b>Midpoint of a line</b>	The middle of a <b>line segment</b>	Formula: Add <b>x coordinates</b> $\div 2$ , Add <b>y coordinates</b> $\div 2$

## Maths Year 10 Foundation Autumn 1

<b><math>y = mx + c</math></b>	<b>Gradient</b>	How steep the line is	<b>m</b> in $y = mx + c$
	<b>Y intercept</b>	Where the <b>graph crosses the y axis</b>	<b>c</b> in $y = mx + c$
	<b>Parallel</b>	<b>Parallel lines</b> have the same <b>gradient</b>	<b>m</b> in $y = mx + c$
<b>Compound Measures</b>	<b>Standard Units</b>	One <b>unit</b>	time, mass, length, money, volume, area
	<b>Compound Units</b>	Made of two or more <b>units</b>	speed, rates of pay, prices
	<b>Speed</b>	<b>Speed = distance <math>\div</math> time</b>	30 miles per hour
	<b>Density</b>	<b>Density = mass <math>\div</math> volume</b>	6 g/litre
	<b>Pressure</b>	<b>Pressure = force <math>\div</math> area</b>	$N/m^2$

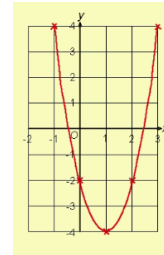


# Maths Year 10 Foundation Autumn 2

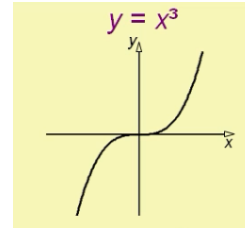
<b>Quadratic Graphs, Turning Points and Roots</b>	<b>Squared</b>	To the <b>power 2</b>	<b>4 squared</b> means $4^2 = 4 \times 4$
	<b>Quadratic Graphs</b>	<b>Equations</b> in the form $y = ax^2 + bx + c$	The graphs are a U shape
	<b>Roots</b>	Where the graph crosses the <b>x axis</b>	
	<b>Turning Points</b>	The <b>coordinate</b> of where the graph turns	It is the bottom or the top of the graph
	<b>Factorising</b>	Rewrite the <b>equation</b> in <b>brackets</b> .	When we <b>solve</b> it tells us the <b>roots</b> of the <b>equation</b>

<b>Linear Simultaneous Equations</b>	<b>Simultaneous</b>	Things that happen at the same time
	<b>Equation</b>	The rule for finding <b>coordinates</b> for your <b>graph</b>
	<b>Solve Simultaneous Equations</b>	<p><b>Simultaneous equations</b> are two <b>equations</b> with two unknowns. They are called simultaneous because they must both be solved at the same time.</p> <p>Use the <b>elimination method</b>:</p> <ol style="list-style-type: none"> <li>1) Get rid of the terms that are the same</li> <li>2) If the operation signs are the same then subtract the remaining terms. If the operation signs are NOT the same you have to add the remaining terms.</li> <li>3) <b>Solve the equation</b> to find the <b>variable x or y</b></li> <li>4) <b>Substitute</b> your known variable back into one of the equations to find the remaining variable.</li> </ol>
	<b>Graphically</b>	<b>Solve</b> something on a <b>graph</b>

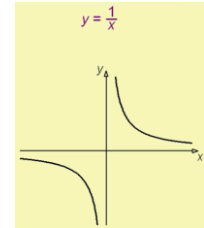
<b>Further Graphs</b>	<b>Cubic</b>	An <b>equation</b> with the highest power of x is $x^3$
	<b>Reciprocal</b>	An <b>equation</b> where x is in the <b>denominator</b>
	<b>Numerator</b>	The top number in a <b>fraction</b>
	<b>Denominator</b>	The bottom number in a <b>fraction</b>
	<b>Direct proportion</b>	As one quantity <b>increases</b> , so does another at the <b>same rate</b>
	<b>Inverse Proportion</b>	As one quantity <b>increases</b> , the other <b>decreases</b>



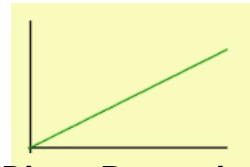
**Quadratic Graph**



**Cubic Graph**



**Reciprocal Graph**



**Direct Proportion Graph**



**Inverse Proportion Graph**

## Maths Year 10 Foundation Spring 1

Probability	<b>Probability</b>	How <b>likely</b> something is to happen. Always given as a <b>Fraction, Decimal or Percentage</b>
	<b>Probability Scale words</b>	<b>Impossible, Unlikely, Even chance, Likely, Certain</b>
	<b>Probability Scale numbers</b>	<b>Impossible = 0, Even chance = 0.5 or ½ or 50%, Certain = 1 or 100%</b>
	<b>Two Way Table</b>	Used when there are two categories
	<b>Frequency Trees</b>	Used when there are two or more categories
	<b>Sample Space</b>	Listing all of the possible <b>outcomes</b> from two events, for example flipping a coin and rolling a dice
	<b>Mutually Exclusive Events</b>	<b>Mutually exclusive events</b> cannot happen at the same time. <b>Events</b> sum to 1.
	<b>Venn Diagrams</b>	Comparing 2 or more sets of <b>data</b> that share some things in common
	<b>Element</b>	A list of numbers, objects or outcomes
	<b>Universal Set</b>	Contains all of the <b>elements</b> for our question
	<b>Set notation</b>	<b>A</b> – all <b>elements in A</b> <b>A'</b> – all <b>elements not in A</b> <b>B</b> – all <b>elements in B</b> <b>B'</b> – all <b>elements not in B</b>
	<b>Intersection</b>	<b>A ∩ B</b> – all the <b>elements in both A and B</b>
	<b>Union</b>	<b>A ∪ B</b> – all the <b>elements in A or B or both</b>
	<b>Tree Diagrams</b>	Used when there are two or more <b>events</b> . Each pair of <b>branches</b> add to 1 ( <b>mutually exclusive</b> ) To find the <b>probabilities</b> we <b>multiply</b> along the <b>branches</b>

Standard Form	<b>Write number in standard form</b>	A way of writing large or small numbers $a \times 10^b$ $1 \leq a < 10$
	<b>10<sup>8</sup></b>	Positive power, <b>multiply</b>
	<b>10<sup>-4</sup></b>	Negative power, <b>divide</b>
	<b>Base</b>	The number that will be multiplied by itself (eg 5 <sup>3</sup> the <b>base</b> is 5)
	<b>Power</b>	The small number in 10 <sup>3</sup> , tells you how many times you <b>multiply</b> the <b>base</b> by itself. 10 <sup>3</sup> means 10x10x10
	<b>Index number</b>	Another word for <b>power</b> , plural is <b>indices</b>
	<b>10<sup>4</sup></b>	<b>Ten to the power four</b> , means 10 x 10 x 10 x 10 because the <b>power</b> is 4
	<b>10<sup>3</sup></b>	<b>Ten Cubed</b> , means 10 x 10 x 10 because the <b>power</b> is 3
	<b>10<sup>2</sup></b>	<b>Ten squared</b> , means 10 x 10 because the <b>power</b> is 2
	<b>10<sup>1</sup></b>	<b>Ten to the power one</b> , just means 10 because the <b>power</b> is 1
	<b>10<sup>0</sup></b>	<b>Ten to the power zero. Anything to the power zero always equals 1</b>
	<b>10<sup>-1</sup></b>	<b>Ten to the power negative 1 = 0.1</b>
	<b>10<sup>-2</sup></b>	<b>Ten to the power negative 2 = 0.01</b>
	<b>Multiply indices</b>	Numbers with the same <b>base</b> , <b>add</b> the <b>indices</b> $10^6 \times 10^4 = 10^{6+4}$ $= 10^{10}$
	<b>Divide indices</b>	Numbers with the same <b>base</b> , <b>subtract</b> the <b>indices</b> $10^9 \div 10^7 = 10^{9-7}$ $= 10^2$

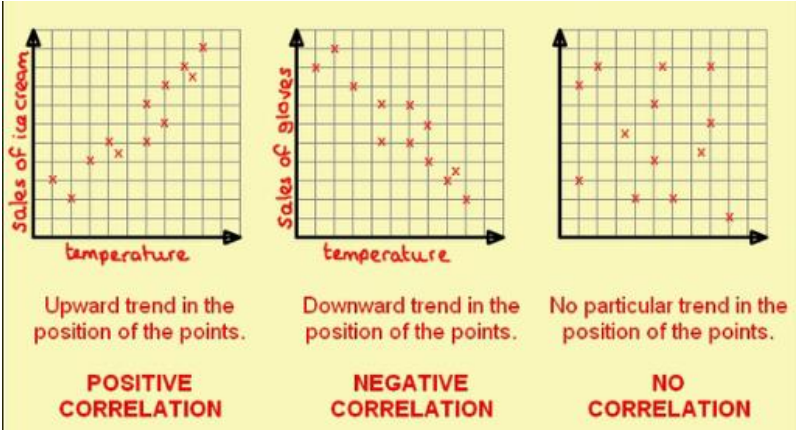
## Maths Year 10 Foundation Spring 2

Simple Interest	<b>Cent</b>	Means 100 in Latin, for example a century is 100 years
	<b>Percentage</b>	Means out of 100
	<b>Percentage of an Amount (Need to know)</b>	$1\% = \div 100$ $10\% = \div 10$ $5\% = \text{halve } 10\%$ $20\% = \text{double } 10\%$ $50\% = \div 2$ $25\% = \text{halve } 50\%$ $75\% = 50\% + 25\%$
	<b>Percentage of an Amount</b>	<b>(Amount <math>\div</math> 100) x Percentage</b> Example, find 30% of £210 $(210 \div 100) \times 30 = 2.1 \times 30$ $= \text{£}63.00$
	<b>Convert percentage to decimal</b>	<b>Decimal = percentage <math>\div</math> 100</b>
	<b>VAT</b>	<b>Value Added Tax</b> A tax that is added to goods that you buy
	<b>Income Tax</b>	Tax that you pay from your wages
	<b>Simple Interest</b>	Calculate the <b>percentage amount</b> and multiply it by the number of periods that the money will be invested for.
	<b>Simple interest steps</b>	<ol style="list-style-type: none"> <li>1. Find the <b>percentage of the amount</b></li> <li>2. Multiply by how many months/years it asks for in the question</li> <li>3. Add this answer to the original amount</li> </ol>

Ratio (Further)	<b>Ratio</b>	How much of one thing there is compared to another, usually written as 3 : 4
	<b>Parts</b>	The numbers in the <b>ratio, 3 parts : 4 parts</b>
	<b>Simplify</b>	Make the numbers smaller, <b>divide</b> by the <b>Highest Common Factor</b>
	<b>Writing a Ratio as a Fraction</b>	Each <b>part</b> of the <b>ratio</b> is the <b>numerator</b> , <b>add the parts</b> to make <b>denominator</b> . Example 3 : 4 written as a <b>fraction</b> The <b>parts</b> are 3 and 4 so these are the <b>numerators</b> $3 + 4 = 7$ so the <b>denominator</b> is 7 $3/7$ and $4/7$
	<b>Scale</b>	The <b>ratio</b> between the <b>distance</b> on a map and that in real life
Growth and Decay	<b>Growth</b>	Getting bigger
	<b>Decay</b>	Getting smaller
	<b>Appreciation</b>	The value of something <b>increasing</b>
	<b>Depreciation</b>	The value of something <b>decreasing</b>
	<b>Interest Rate</b>	Money that is paid regularly as a <b>percentage</b> , this is usually by a bank when money is saved or borrowed.
	<b>Compound Interest</b>	<b>Interest</b> that gets added regularly (eg. monthly, annually), changes the value of money each time so a new calculation has to be completed.
	<b>Multiplier Method</b>	<b>Amount x (1 + percentage as a decimal)<sup>n</sup> number of years</b> Example £4000 saved for 3 years at 2% interest rate $2\% = 0.02$ as a <b>decimal</b> $1 + 0.02 = 1.02$ $4000 \times 1.02^3 = \text{£}4161.60$

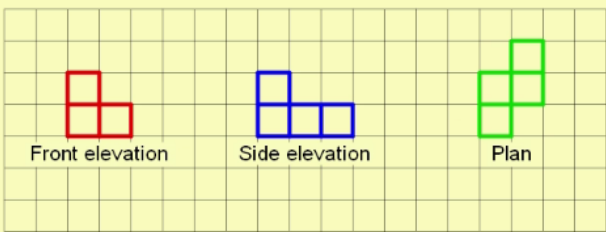
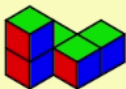
# Maths Year 10 Foundation Summer 1

## Statistics

<b>Data</b>	Information that is collected	<b>Scatter Graphs</b>	A graph of plotted points that compares two sets of information
<b>Quantitative Data</b>	Numerical answers	<b>Line of best fit</b>	A line on your <b>scatter graph</b> that best describes the relationship between the two sets of data <ul style="list-style-type: none"> <li>• A straight line</li> <li>• Goes roughly through the middle of the points on your <b>scatter graph</b></li> <li>• There should be an equal number of points above and below your line</li> </ul>
<b>Qualitative Data</b>	Descriptive answers, for example eye colour		
<b>Discrete Data</b>	Whole number answers, like how many people walk to school		
<b>Continuous Data</b>	<b>Measured</b> on a <b>scale</b> , like <b>weight</b> or <b>height</b>		
<b>Primary Data</b>	<b>Data</b> that you have collected	<b>Correlation</b>	The relationship between two variables
<b>Secondary Data</b>	<b>Data</b> that someone else has collected	<b>Positive Correlation</b>	As one variable increases so does the other variable
<b>Bar Chart</b>	Shows <b>discrete data</b> , there are gaps between the bars	<b>Negative Correlation</b>	As one variable increases the other decreases
<b>Pictogram</b>	Shows <b>discrete data</b> , pictures are used to show <b>frequencies</b> , must have a <b>key</b>	<b>No Correlation</b>	No relationship between the two variables
<b>Time Series Graphs</b>	<b>Frequencies</b> plotted over time. Points are joined with straight lines	<b>Trend</b>	A pattern in a set of results
		<b>Outliers</b>	A point that is far from the <b>line of best fit</b>
<b>The Product Rule</b>	Used to find the <b>intersection</b> of 2 or more <b>probabilities</b> , eg. <b>PA and PB = PA x PB</b>	 <p>The figure shows three scatter plots on a grid. The first plot shows 'Sales of ice cream' on the y-axis and 'temperature' on the x-axis, with points showing an upward trend. The second plot shows 'Sales of gloves' on the y-axis and 'temperature' on the x-axis, with points showing a downward trend. The third plot shows points scattered randomly with no clear trend. Below each plot is a label: 'POSITIVE CORRELATION', 'NEGATIVE CORRELATION', and 'NO CORRELATION' respectively.</p>	
<b>Mean</b>	Add up your numbers and divide by how many numbers there are		
<b>Median</b>	Put your numbers in order from smallest to largest, the median is the middle number. If there are two middle numbers then the answer is halfway between them		
<b>Mode</b>	The most common number		
<b>Range</b>	The difference between the smallest and largest numbers		

# Maths Year 10 Foundation Summer 2

<b>Plans and Elevations</b>	<b>Plan</b>	The view from directly above a <b>3D shape</b> . You will see a <b>2D shape</b> .
	<b>Elevation</b>	The view from the front and side of a <b>3D shape</b> . You will see a <b>2D shape</b> .
	<b>Sketch</b>	To roughly draw a shape. Always label the sides and write any <b>measurements</b> on.



<b>Constructions and Loci</b>	<b>Perpendicular</b>	Two lines that meet at <b>90° (right angle)</b>
	<b>Bisect</b>	To cut something equally in two parts
	<b>Line Segment</b>	Part of a line that connects 2 points, it is the shortest distance between 2 points
	<b>Locus</b>	A path that is formed by a rule, eg. 2cm from a point. Plural is <b>loci</b> .
	<b>Region</b>	The <b>area</b> you shade in, defined in your question
	<b>Construction</b>	An accurate diagram using a <b>compass</b> and <b>ruler</b> .

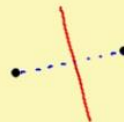
There are four basic situations . . . .

the locus of a point that moves so that it is an equal distance from . . .

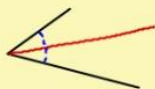
a point



two points



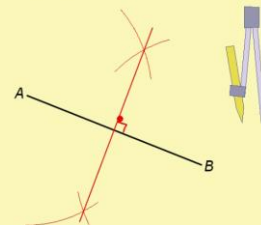
two lines



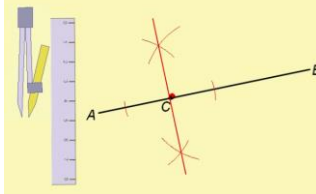
a line



Bisect the line AB.



Use ruler and compasses to draw a line which is perpendicular to line AB at point C.



Use ruler and compasses to bisect angle ABC

